

Comparing Quadratic Functions to Other Functions

Exponential functions have a fixed number as the base and a variable number as the exponent.

Let's fill out the table to compare linear, quadratic and exponential functions over time.

x	Linear $y = 2x + 2$	Quadratic $y = x^2 + 2$	Exponential $y = 2^x$
0			
1			
2			
3			
4			
5			
6			

★ **Conclusion** over a long period of time the _____ function will exceed the value of the other functions.

Common
2nd Diff

6. Which statement BEST describes the comparison of the y-values for $f(x)$ and $g(x)$?

- A. The values of $f(x)$ will always exceed the values of $g(x)$.
 B. The values of $g(x)$ will always exceed the values of $f(x)$.
 C. The values of $f(x)$ exceed the values of $g(x)$ over the interval $[0, 5]$.
 D. The values of $g(x)$ begin to exceed the values of $f(x)$ within the interval $[4, 5]$.

x	f(x)	g(x)
0	0	-10
1	2	-9
2	4	-6
3	6	-1
4	8	6
5	10	15

Q
 $+1 \rightarrow +2$
 $+3 \rightarrow +2$
 $+5 \rightarrow +2$
 $+7 \rightarrow +2$
 $+9$

7. Determine if the following sets of points or tables represent a linear, quadratic, or exponential function. Give a reason for your answer.

a.

x	y
0	3
1	6
2	12
3	24

$\times 2$

E
 $y = 3(2)^x$

b.

x	y
-2	-10
-1	-8
0	-6
1	-4

$+2$

L
 $y = 2x - 6$

c.

x	y
0	2
1	6
2	12
3	20

$+4 \rightarrow +2$
 $+6 \rightarrow +2$
 $+8 \rightarrow +2$

Q

d.

vertex
 $((-2, 0), (-1, -3), (0, -4), (1, -3), (2, 0))$

Q $a(x-h)^2 + k$
 $(x-0)^2 - 4$
 $x^2 - 4$

e.

$((-2, -3), (-1, -\frac{3}{2}), (0, -3), (1, -6), (2, -12))$

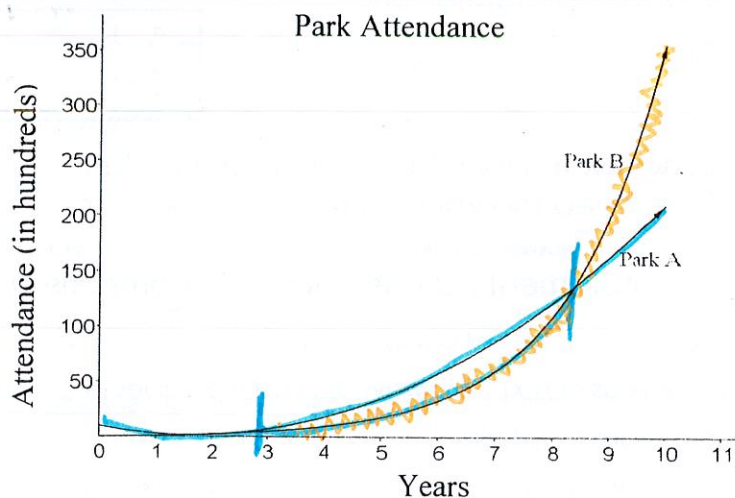
E $y = -3(2)^x$
 $G: a_n = a_1(r)^{n-1}$
 $= -6(2)^{n-1}$
 Not the same

$y = a(b)^x$
 \uparrow \uparrow
 y_{int} $rate$

Name _____ Date _____

Two nature parks opened the same year in neighboring towns. Park A's attendance can be represented by the equation $y = 3x^2 - 10x + 10$, and Park B's attendance can be represented by the equation $y = 1.8^x - 1$, where x represents the number of years since opening, and y represents the attendance in hundreds. Tables and graphs for both parks are shown below.

Year	Park A	Park B
1	3	0.8
2	2	2.2
3	7	4.8
4	18	9.5
5	35	17.9
6	58	33.0
7	87	66.2
8	122	109.2
9	163	197.4



1. In which years does Park A have the greater attendance?

1-8
1, 3-8
3-8

2. In which years does Park B have the greater attendance?

After year 9 B is always

3. Describe how the functions are different.

A) Q
2nd Diff
y-int 10

B) E
common ratio
y-int 0
ROC >

4. If the trends continue, will Park A's attendance ever surpass Park B's attendance again? Explain.

NO, B is exponential and increases exponentially.

Name _____ Period _____ Unit 5 Review

Use the figures to answer each question. There is one quadratic, one exponential, and one linear function.

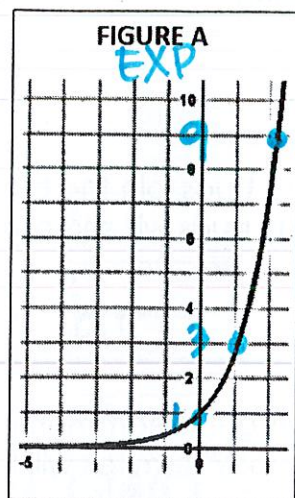
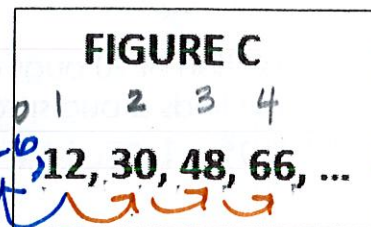


FIGURE B

x	f(x)
3	4
4	11
5	20
6	31
7	44



- 1) Which figure shows an exponential function? 2) What is the equation for this function?
Hint: It is a parent function with no transformations.

Exponential Function: A Equation: $y = 1(3)^x$

- 3) Which figure shows a linear function? 4) What is the equation for this function?

Linear Function: C Equation: $y = 18x - 6$

- 5) Which figure has the highest value when $x = 6$? 6) Which figure has the lowest value when $x = 6$?

A. 729 B. 31 C. 102

Highest Value Function: A Lowest Value Function: B

- 7) Which figure has end behavior of "As $x \rightarrow -\infty$, $y \rightarrow \infty$ "? B

What is the end behavior for the other two functions when $x \rightarrow -\infty$?

- 8) The Exp (A) function has an end behavior of As $x \rightarrow -\infty$, $y \rightarrow$ 0
Asym.

9) The Linear (L) function has an end behavior of As $x \rightarrow -\infty, y \rightarrow -\infty$.

Directions: If $f(x) = 3x - 10$ and $g(x) = 3(x - 4)^2$, find each of the following.

10) Which is greater at $x = 4$?

$$\begin{aligned} *f(4) &= 3(4) - 10 \\ &= 2 \end{aligned} \qquad \begin{aligned} g(4) &= 3(4-4)^2 \\ &= 3(0)^2 \\ &= 3(0) \end{aligned}$$

11) A population of 20 bugs are living under a log. Each day, 5 more bugs join the bug party. If Lucy finds a bug spray and uses it on the 10th day, how many bugs will she eliminate under this log?

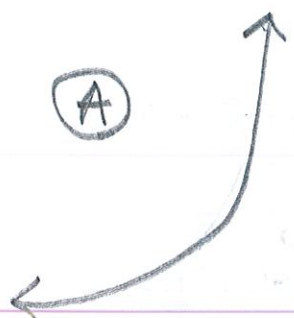
Linear $y = mx + b$
 $y = 5x + 20$

70

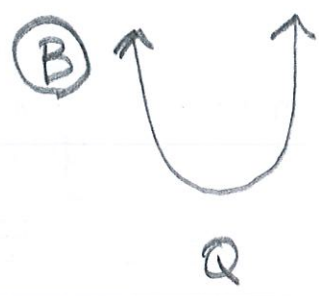
12) A population of 8,520 termites are living in a mound, but they caught a common cold. Every day they are losing $\frac{1}{2}$ of the previous day's population. How many termites will there be by the end of the 5th day?

Exponential $y = a(b)^x$
 $y = 8520(\frac{1}{2})^x$

266



(A)



(B)

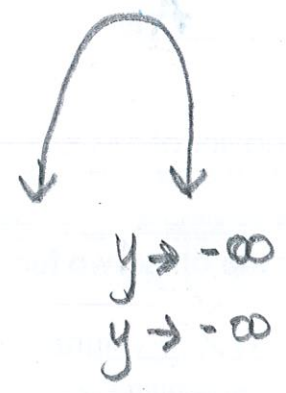


(C)

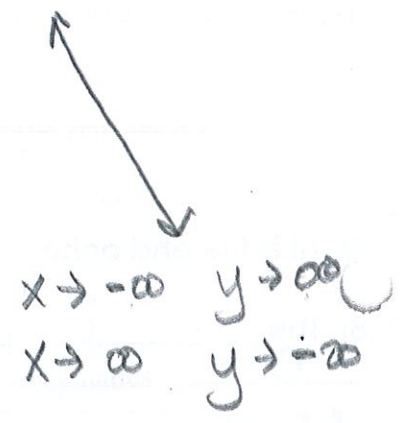
Exponential G
 Asymptote
 $x \rightarrow -\infty \quad y \rightarrow 0$
 $x \rightarrow \infty \quad y \rightarrow \infty$

$x \rightarrow -\infty \quad y \rightarrow \infty$
 $x \rightarrow \infty \quad y \rightarrow \infty$

$x \rightarrow -\infty \quad y \rightarrow -\infty$
 $x \rightarrow \infty \quad y \rightarrow \infty$



$y \rightarrow -\infty$
 $y \rightarrow -\infty$



$x \rightarrow -\infty \quad y \rightarrow \infty$
 $x \rightarrow \infty \quad y \rightarrow -\infty$